

# DYNAMICO

## *Status and outlook*

Thomas Dubos

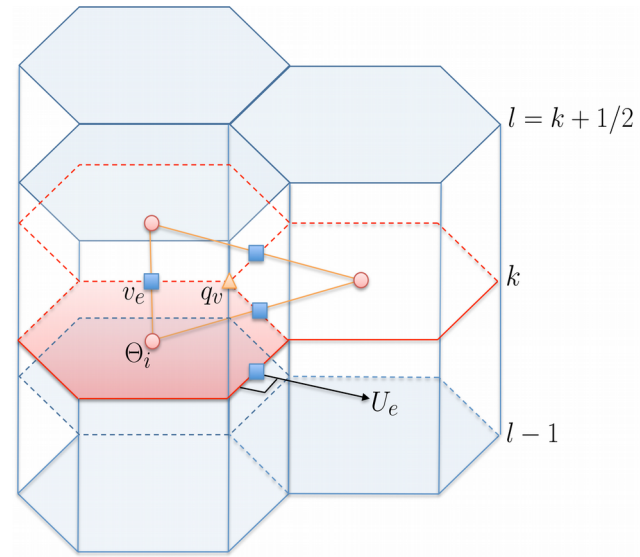
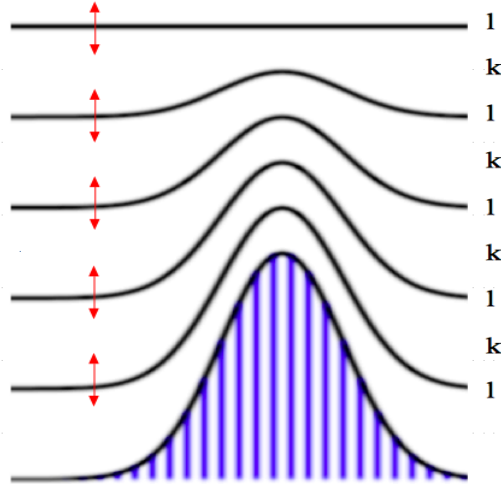
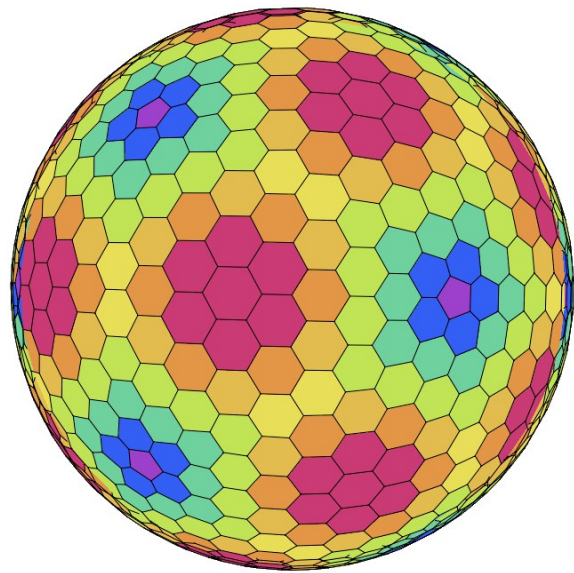
École Polytechnique, LMD/IPSL

*with F. Hourdin, A. Traore, M. Tort, E. Millour, A. Spiga & co (LMD/IPSL),  
J. Gattas (IPSL), Y. Meurdesoif, J. Servonnat, M. Kageyama, P. Braconnot (LSCE/IPSL),  
S. Dubey (IIT Delhi), E. Kritsikis (LAGA/Paris XIII), ...*

- Status
- Ongoing developments
- Prospects for kilometer-scale climate modelling

# *DYNAMICO*

Equations of motion	<i>shallow-water</i> <i>shallow-atmosphere, hydrostatic</i>
Conservation properties	<i>Mass (air and species)</i> <i>Energy</i>
Formulation	<i>Mass : flux-form</i> <i>Momentum : vector-invariant form</i>
Vertical coordinate	<i>Terrain-following mass-based</i> <i>(often conflated with pressure-based)</i>
Numerics	<i>Mass : finite volume</i> <i>Momentum : low-order <b>mimetic finite difference</b></i> <i>Mesh : <b>icosahedral-hexagonal C-grid</b></i> <i>Time : (additive) Runge-Kutta (HEVI)</i>
Computing	<i>MPI / OpenMP</i> <i>XIOS I/O server</i> <i>Scales at least to <math>O(10^4)</math>, including I/O</i>



- Discrete integration by parts (Bonaventura & Ringler, 2005 ; Taylor, 2010)
- Energy- and vorticity- conserving Coriolis discretization (TRiSK : Thuburn et al., 2009 ; Ringler et al., 2010)



## Energy-conserving 3D core

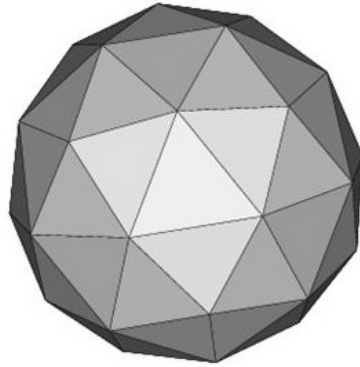
(Tort & Dubos, 2015 ;  
Dubos et al., 2015)

# Mesh partitioning for parallel computing

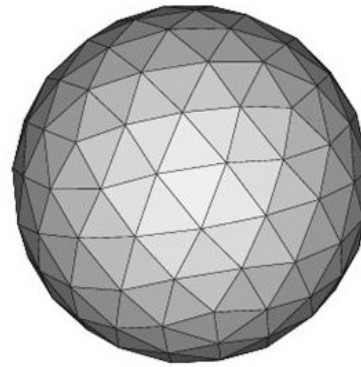
$nbp=1$



$nbp=2$



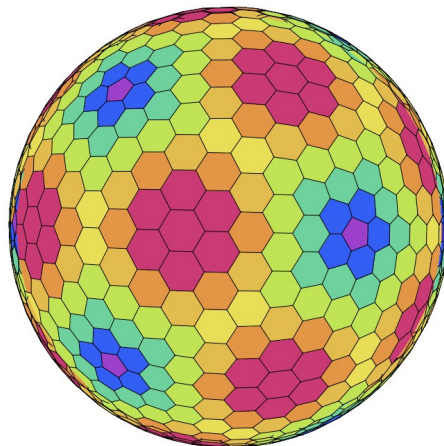
$nbp=4$



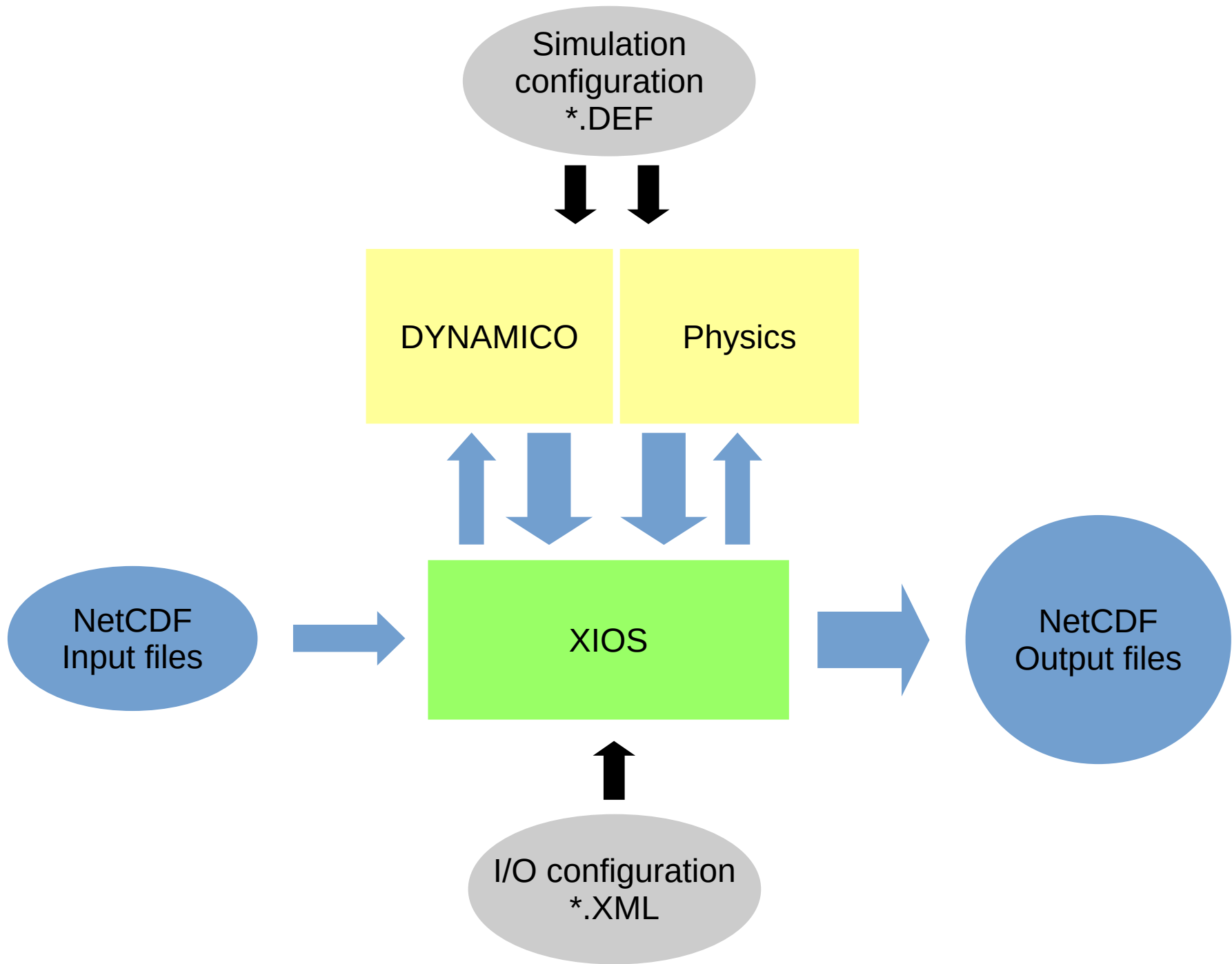
Icosahedral-triangular mesh  
 $10*nbp^2+2$  vertices

Voronoi  
dual

Icosahedral-hexagonal mesh  
 $10*nbp^2+2$  cells

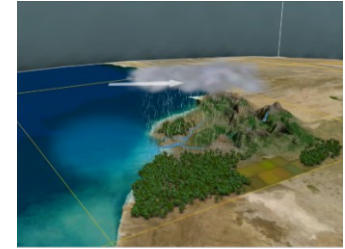
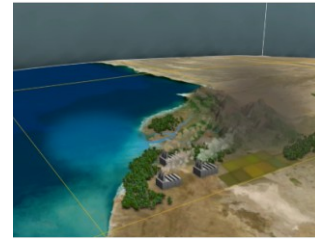
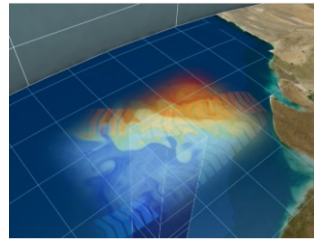
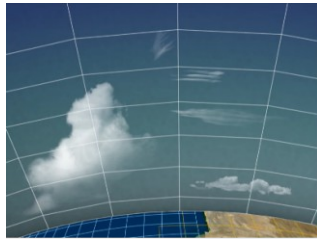


- Easy to partition into  $10 \times nsplit^2$  domains
- About  $(nbp/nsplit)^2$  cells per domain = MPI process
- $Nbp/nsplit > 10$  for performance



# Target : IPSL Earth System Model IPSL-CM

HighResMIP : 2x50yr @ 25km (1 million horizontal grid points)



**INCA / REPROBUS**  
(chimie atmosphérique)  
(aérosol)

**ORCHIDEE**  
(surfaces continentales)  
(végétation)

**LMDZ**  
(atmosphère)

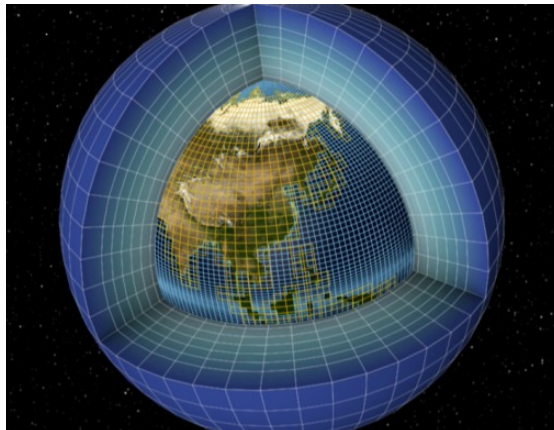
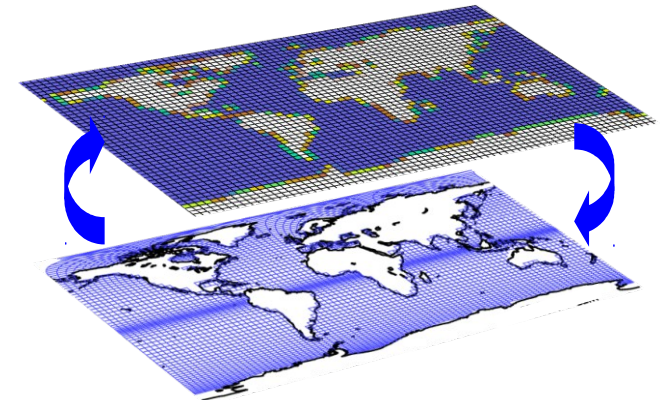
**OASIS**  
(coupleur)

**OPA**  
(océan)

**LIM**  
(glace de mer)

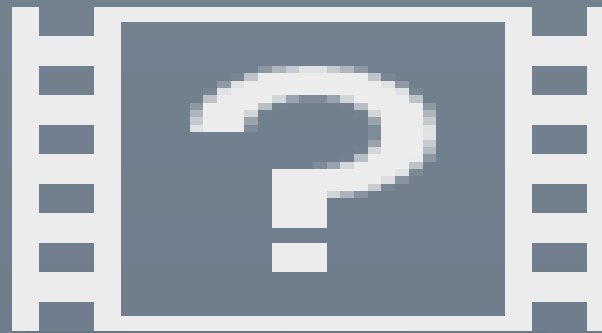
**PISCES**  
(biogéochimie marine)

**NEMO**



# Couplage DYNAMICO – physique de LMDZ

*Ehouarn Millour, Yann Meurdesoif (LSCE)*



*Precipitable water in an aquaplanet experiment (IPSL-CM5a physics, 1/4 degree)*

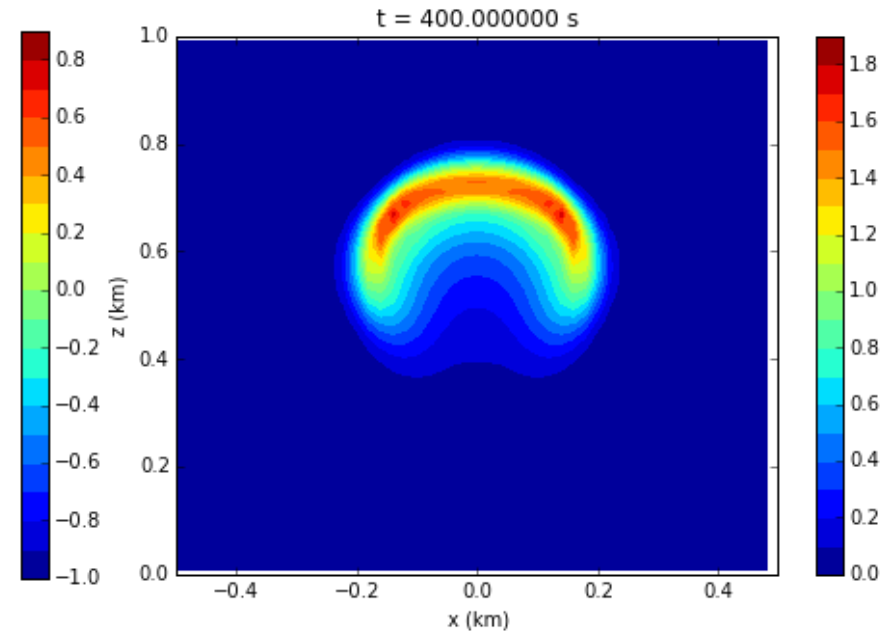
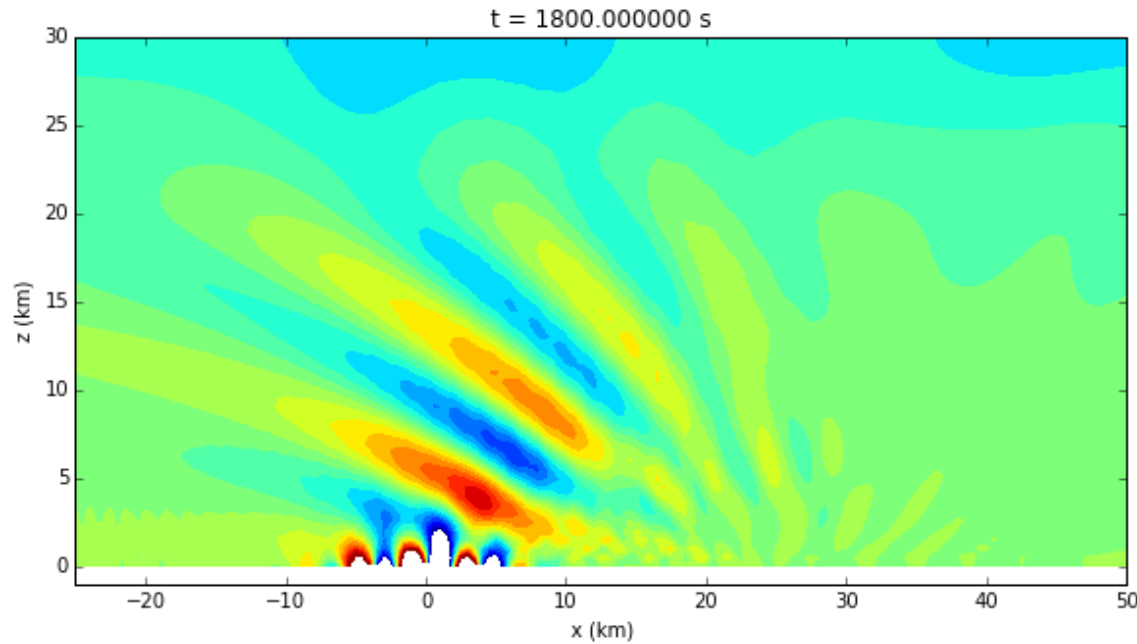
Ongoing : ORCHIDEE+routing

# Ongoing developments and outlook



# DYNAMICO-NH : non-hydrostatic (fully compressible) dynamics

*T. Dubos, F. Voitus, C. Colavolpe (CNRM-GAME)*

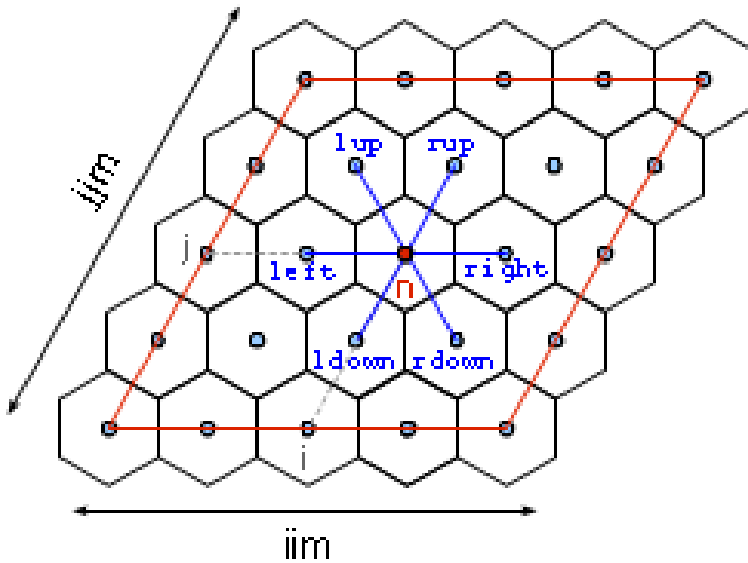


- *Runs DCMIP2016 test cases*
- *About 2x more expensive than hydrostatic*
- *current LMDz physics designed for more than ~10km resolution*



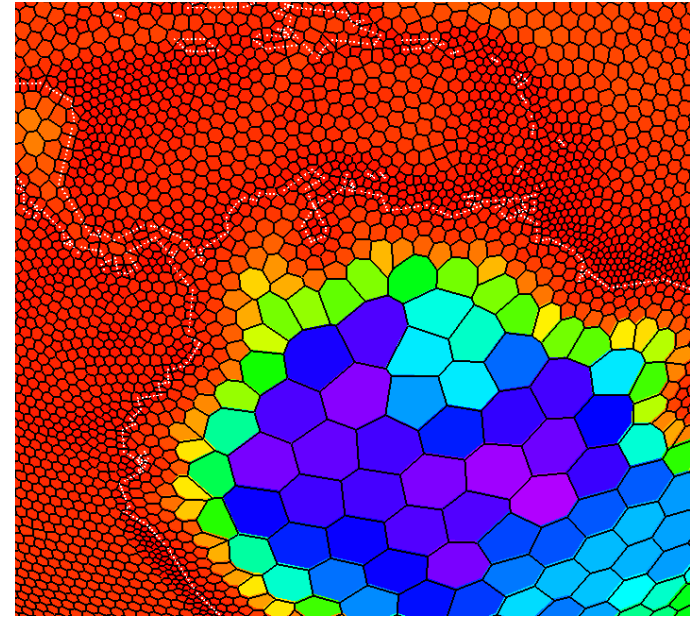
*Subsidence of a zonally-symmetric cold pool*

# Unstructured-mesh capability



*Structured mesh*

- Quasi-uniform resolution
- Zoom possible but limited
- Regular data access / compute pattern



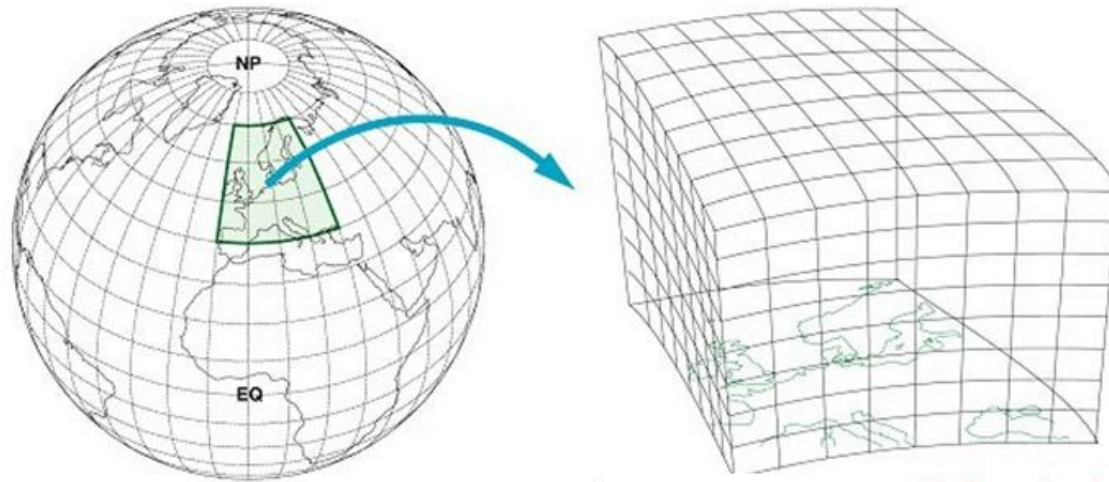
*Unstructured mesh*

- Variable resolution
- Very flexible zoom capability
- Irregular data access / compute pattern
- Needs scale-aware physics

## *Status :*

- *Prototype available in the « devel » branch*
- *MPI/OpenMP parallelism*
- *More work ahead (performance, transport scheme, ...)*

# Limited-area capability



## *Status :*

- Not started
- IPSL Labex funding (12-month post-doc) to build **convection-resolving demonstrator** by 2019
- Physics will initially be LMDZ with convection shut down

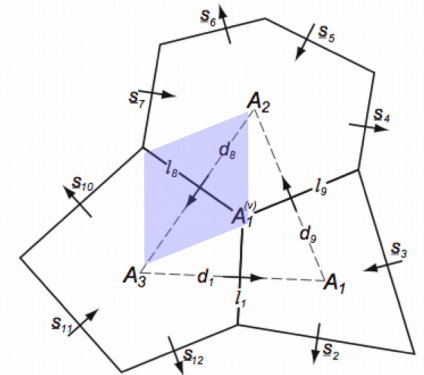
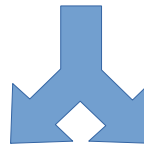
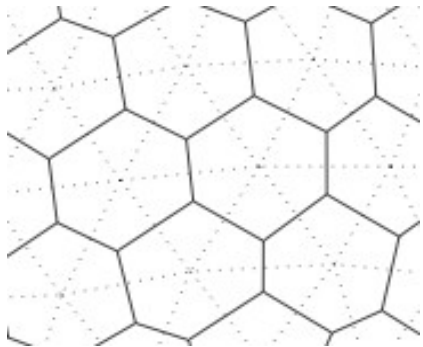
## *Roadmap*

- Build periodic-box DYNAMICO, either from structured or unstructured code
- Use already developed coupling to LMD-Z
- Davies relaxation at lateral domain boundaries
- Build workflow to get boundary data through XIOS

# DySL : Dynamico-specific « language »

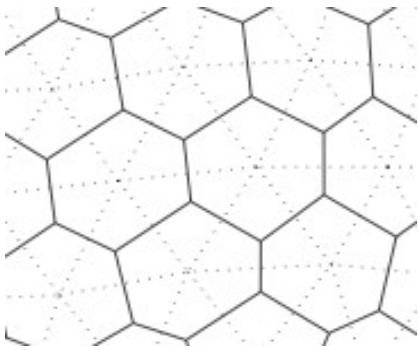
*A low-tech experiment in code maintainability  
and separation of concerns*

```
49 KERNEL('div')
50   FORALL_CELLS_EXT()
51     ON_PRIMAL
52       div_ij=0.
53     FORALL_EDGES
54       div_ij = div_ij + SIGN*LE_DE*u(EDGE)
55     END_BLOCK
56     divu(CELL) = div_ij / AI
57   END_BLOCK
58 END_BLOCK
59 END_BLOCK
```



```
1   DO l = ll_begin, ll_end
2   !DIR$ SIMD
3     DO ij=ij_begin_ext, ij_end_ext
4       div_ij=0.
5       div_ij = div_ij + ne_rup*le_de(ij+u_rup)*u(ij+u_rup,l)
6       div_ij = div_ij + ne_lup*le_de(ij+u_lup)*u(ij+u_lup,l)
7       div_ij = div_ij + ne_left*le_de(ij+u_left)*u(ij+u_left,l)
8       div_ij = div_ij + ne_ldown*le_de(ij+u_ldown)*u(ij+u_ldown,l)
9       div_ij = div_ij + ne_rdown*le_de(ij+u_rdown)*u(ij+u_rdown,l)
10      div_ij = div_ij + ne_right*le_de(ij+u_right)*u(ij+u_right,l)
11      divu(ij,l) = div_ij / Ai(ij)
12    END DO
13  END DO
14
```

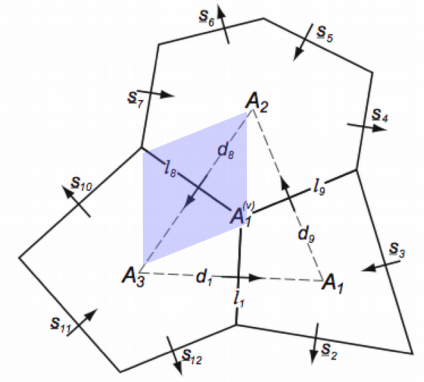
```
2   DO ij = 1, primal_num
3     DO l = 1, llm
4       div_ij=0.
5       DO iedge = 1, primal_deg(ij)
6         edge = primal_edge(iedge,ij)
7         div_ij = div_ij + primal_ne(iedge,ij)*le_de(edge)*u(l,edge)
8       END DO
9       divu(l,ij) = div_ij / Ai(ij)
10    END DO
11  END DO
```



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7   div_ij = div_ij + ne_left*le_de(ij+u_left)*u(ij+u_left,l)
8   div_ij = div_ij + ne_ldown*le_de(ij+u_ldown)*u(ij+u_ldown,l)
9   div_ij = div_ij + ne_rdown*le_de(ij+u_rdown)*u(ij+u_rdown,l)
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```

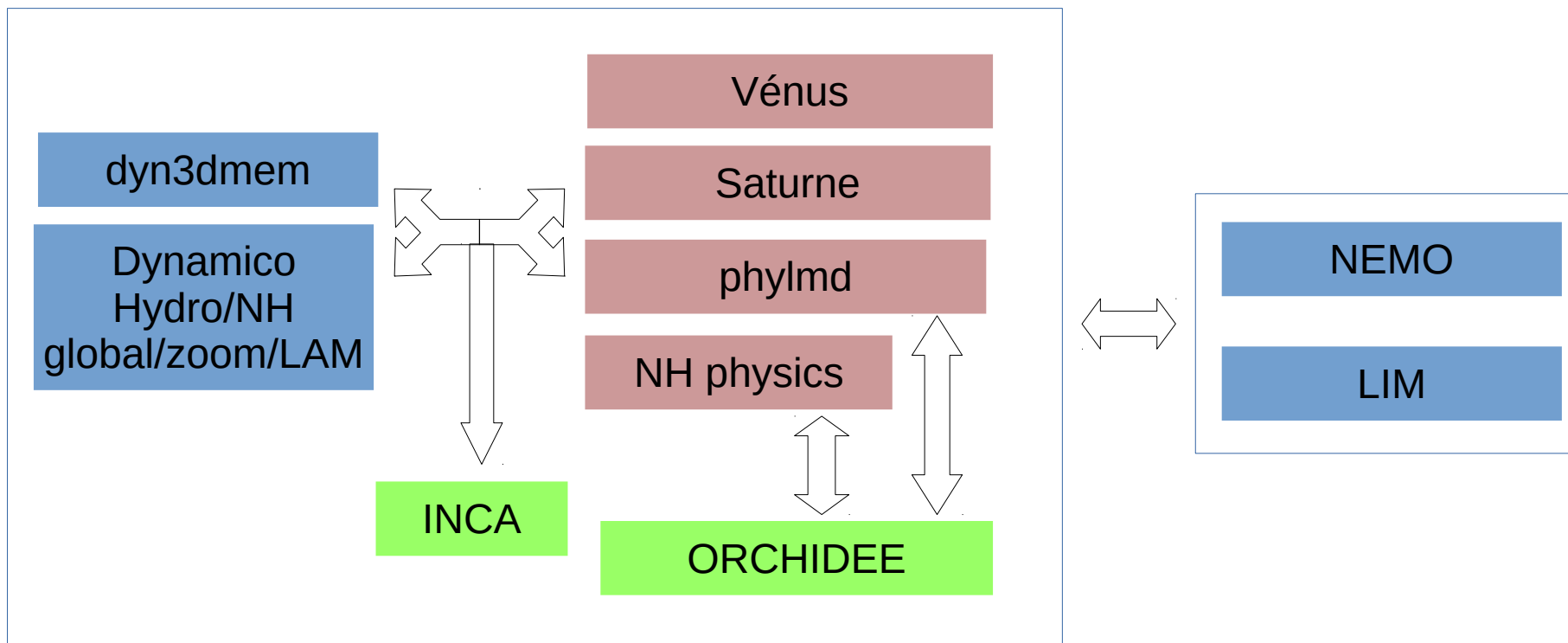
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10 END DO
11 END DO

```



- Code generator purely text-based (no grammar / parser / syntax tree)
- Macro substitution (cpp) and inlining (jinja2)
- Generates *human-readable* code chunks to be #included in hand-written Fortran code
- Hexagonal version executes either generated code or hand-written code
- Non-hydrostatic dynamics based on generated code
- Unstructured code : only performance-critical pieces in **Fortran**, interfaced to higher-level code in **Python**

# Mid-term outlook : Towards a global-regional IPSL ESM



# Prospects for kilometer-scale *climate* modelling

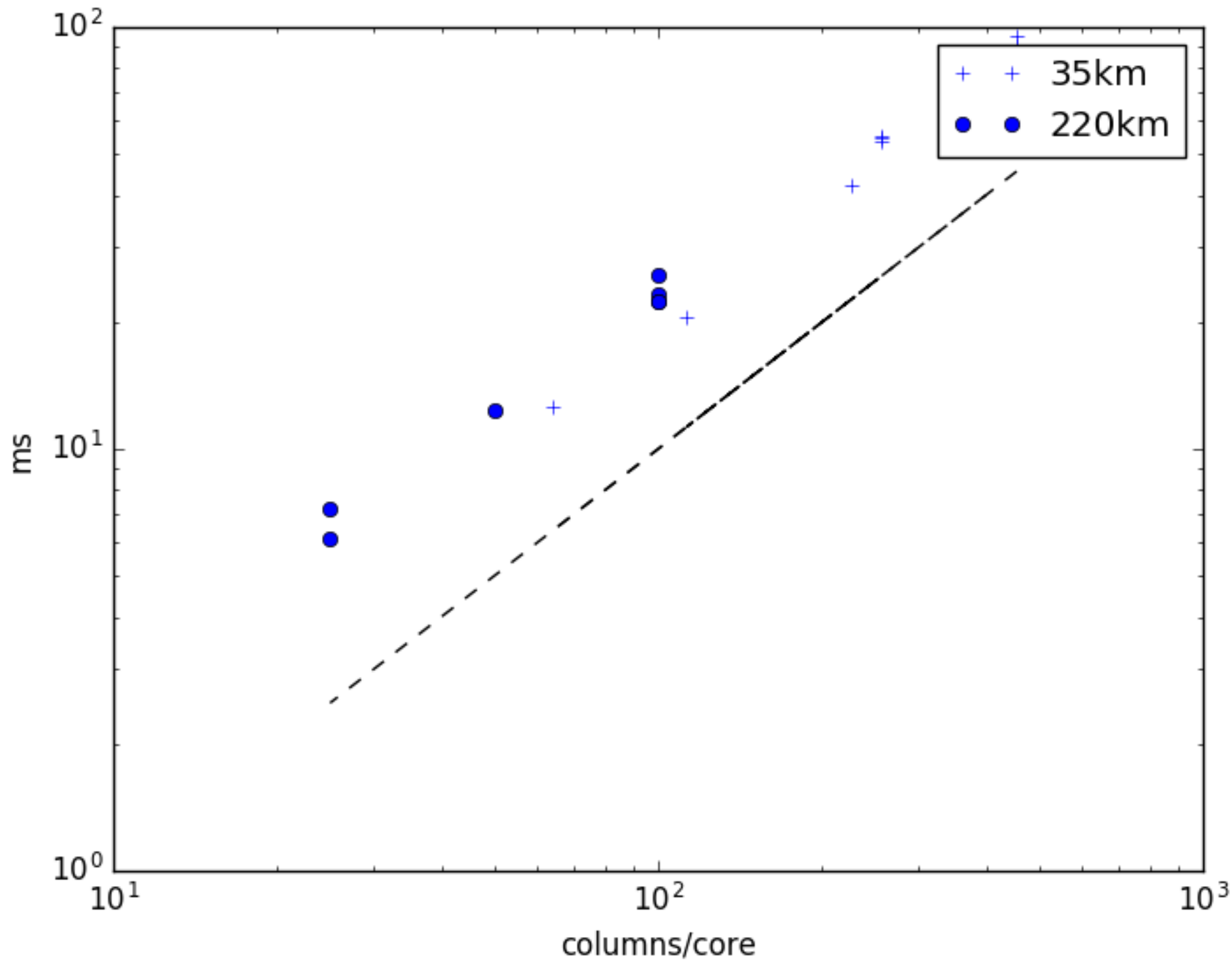
- CMIP requires a throughput of x10000 (30SYPD)
- Some climate modelling still doable with x1000 (3SYPD)
- Ability to attain x1000 depends on maximum stable time step (numerics) and walltime needed to perform one time step (implementation)
- Assuming a large enough machine, reducing walltime is a **strong scaling problem**
- For DYNAMICO, dt (in sec) is about  $2.5 \cdot dx$  (in km)  
=> 3SYPD
  - At 25km resolution requires about 60 ms per full time step
  - At 8km resolution requires about 20 ms per full time step
  - At 1km resolution requires about 2.5 ms per full time step

Curie (Intel Sandy Bridge)

MPI/OpenMP

Dynamics + 4 tracers

no phys, no I/O





CMIP6 physics (79 vertical levels) cost 2-3 ms per column per call  
(24 SYPD with 96 calls per day, 36 columns per core)

If physics are called every 5 dynamics time steps :

100 columns/core  $\Rightarrow 20+(100*2/5)=60$  ms

30 columns/core  $\Rightarrow 5+(30*2/5)=17$  ms

10 columns/core  $\Rightarrow 3ms+(10*2/5)=7$  ms

25 km OK with 10 000 cores

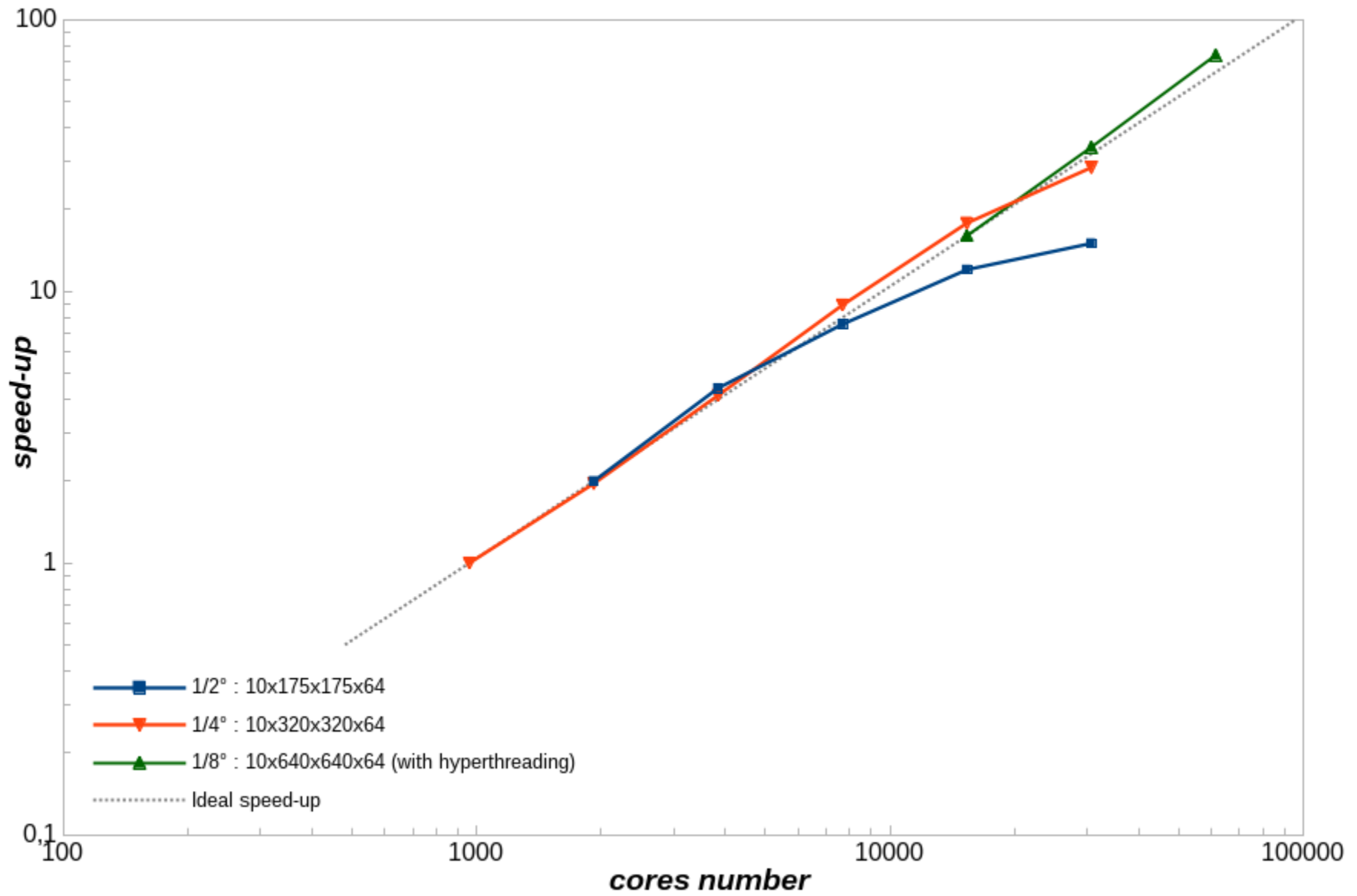
8 km doable with 300 000 cores

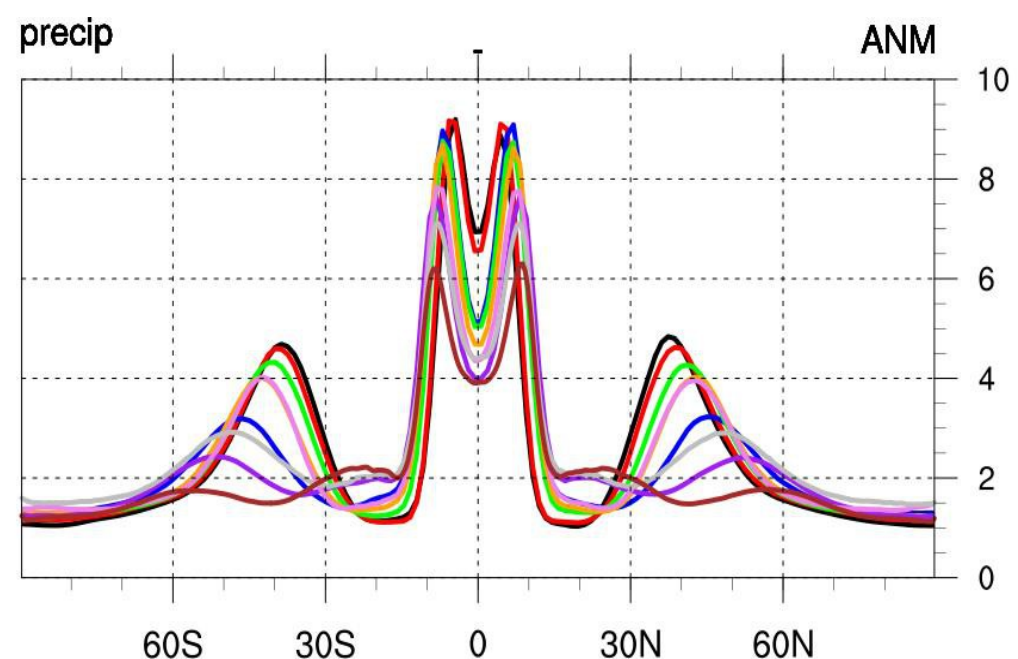
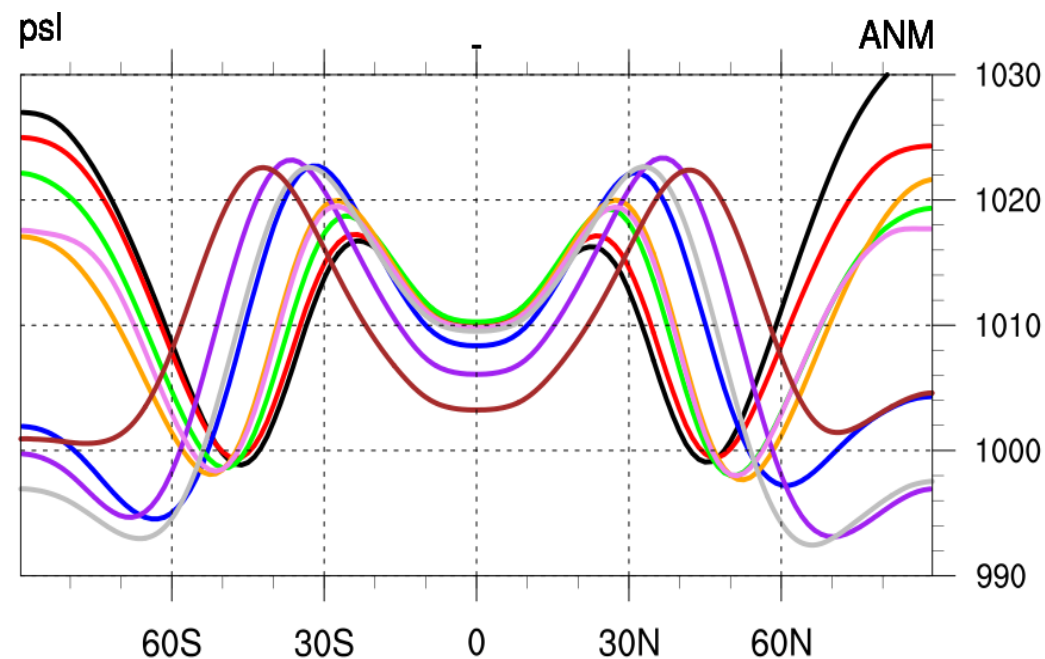
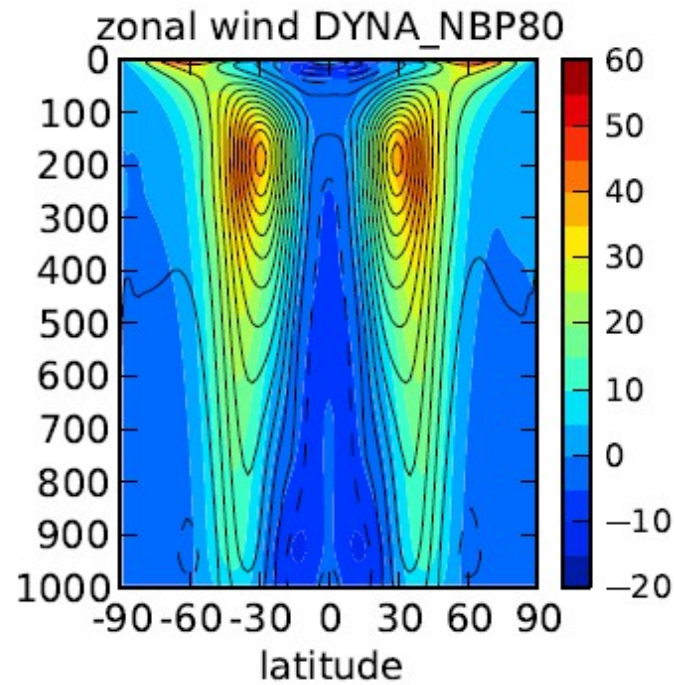
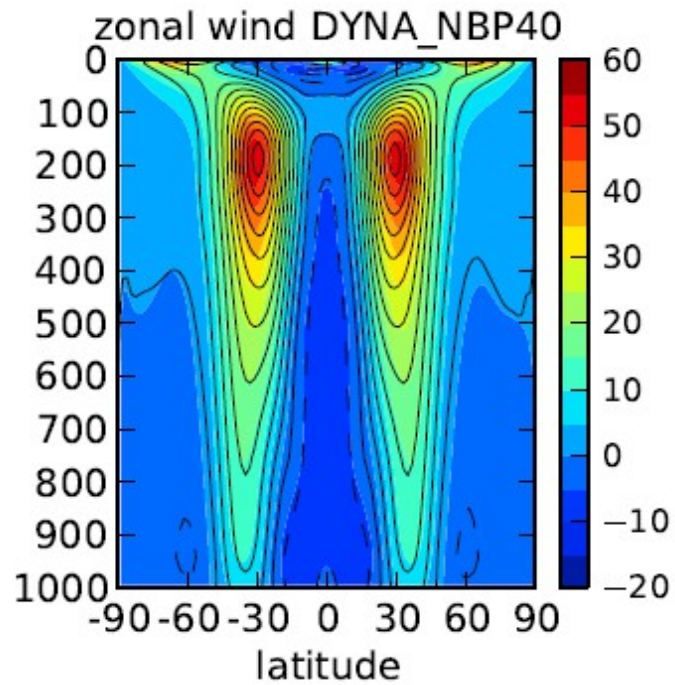
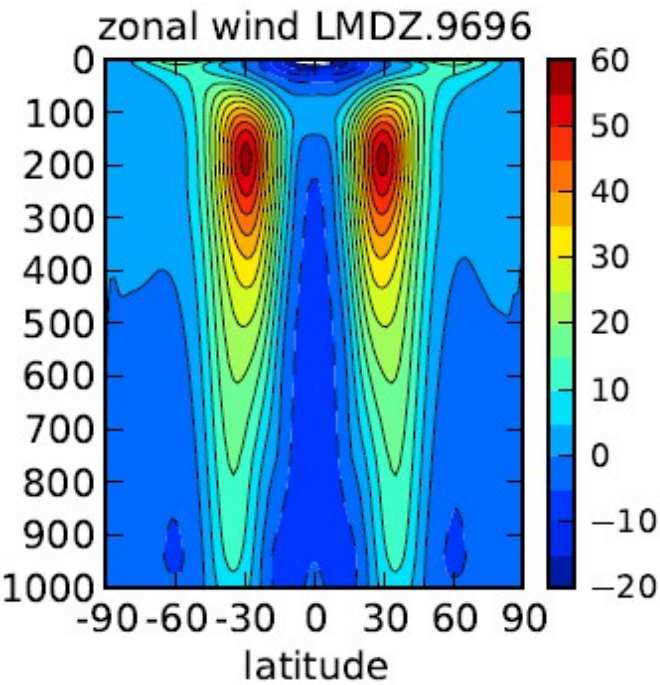
1km not doable

# Thanks for your attention

- T. Dubos, S. Dubey, M. Tort, R. Mittal, Y. Meurdesoif and F. Hourdin (2015) *DYNAMICO, a hydrostatic icosahedral dynamical core designed for consistency and versatility* Geosci. Mod. Dev.
- S. Dubey, T. Dubos, F. Hourdin, H.C. Upadhyaya (2015) *On the inter-comparison of two tracer transport schemes on icosahedral grids* Applied Math. Mod. 39(16) 4828-4847 doi:10.1016/j.apm.2015.04.015
- E. Kritsikis, M. Aechtner, Y. Meurdesoif, and T. Dubos *Conservative interpolation between general spherical meshes* Geosci. Mod. Dev.
- T. Dubos and M. Tort (2014) *Equations of atmospheric motion in non-Eulerian vertical coordinates : vector-invariant form and Hamiltonian formulation* Mon. Wea. Rev. 142(10) : 3860-3880
  
- <http://forge.ipsl.jussieu.fr/dynamico/wiki>
- <https://forge.ipsl.jussieu.fr/heat/wiki>

Extra slides





— R180km\_D20mn  
 — R90km\_D20mn  
 — R45km\_D20mn

— R180km\_D1h30mn  
 — R90km\_D1h30mn  
 — R45km\_D1h30mn

— R180km  
 — R90km  
 — R45km

## Example configurations

### *LMDZ*

		MPI
3°	96x95	48
2°	144x142	72
(2/3)°	512x360	180

### *DYNAMICO*

		SYPD MPI(no phys)	SYPD* (CMIP5a)	Mh per 100 yr*	
2°	10x40x40	160	300	120	0,01
1°	10x80x80	640	150	40	0,15
(1/2)°	10x160x160	640		18	0,4
(1/4)°	10x320x320	2560		12	2

*\*assuming 4x with 4 OpenMP threads, no attempt to optimize/tune MPI or XIOS, very few runs*

slow

fast

$$H = K_H[\mu, \Phi, \mathbf{v}, W] + K_V[\mu, \Phi, W] + P[\mu, \Theta, \Phi]$$

$$\partial_t \mu + \partial_{\mathbf{x}} \cdot \frac{\delta H}{\delta \mathbf{v}} + \partial_{\eta} (\mu \dot{\eta}) = 0$$

$$\partial_t \Theta + \partial_{\mathbf{x}} \cdot \theta \frac{\delta H}{\delta \mathbf{v}} + \partial_{\eta} (\theta \mu \dot{\eta}) = 0$$

$$\begin{aligned} \partial_t \mathbf{v} + \dot{\eta} (\partial_{\eta} \mathbf{v} - \partial_{\mathbf{x}} w) + \frac{\partial_{\mathbf{x}} \times \mathbf{v}}{\mu} \times \frac{\delta H}{\delta \mathbf{v}} + \partial_{\mathbf{x}} \frac{\delta K_H}{\delta \mu} \\ + \partial_{\mathbf{x}} \frac{\delta (K_V + P)}{\delta \mu} + \theta \partial_{\mathbf{x}} \frac{\delta P}{\delta \Theta} = 0 \end{aligned}$$

$$\partial_t \Phi + \dot{\eta} \partial_{\eta} \Phi - \frac{\delta K_H}{\delta W} - \frac{\delta K_V}{\delta W} = 0$$

$$\partial_t W + \partial_{\eta} (\dot{\eta} \Phi) + \frac{\delta K_H}{\delta \Phi} + \frac{\delta (K_V + P)}{\delta \Phi} = 0$$

- The implicit problem only couples vertical position and vertical momentum
- eliminate  $W$  and obtain a scalar tridiagonal implicit problem for  $\Phi$